

Exercises – Algorithms for Genome Research

Universität Bielefeld, WS 2014, Dr. Pedro Feijao

<http://wiki.techfak.uni-bielefeld.de/gi/Teaching/2014winter/AlgoGR>

Exercise List 3 — 14.11.2014

Discussion of exercises on: 21.11.2014

Exercise 1 For the following permutations, answer the questions:

$$\pi = (0 \ +3 \ +5 \ +4 \ +6 \ +2 \ +1 \ +7 \ -8 \ +9)$$

$$\pi = (0 \ +2 \ +4 \ +3 \ +5 \ +1 \ +6 \ +8 \ +10 \ +9 \ +11 \ +7 \ +12 \ +14 \ +16 \ +15 \ +17 \ +13 \ +18)$$

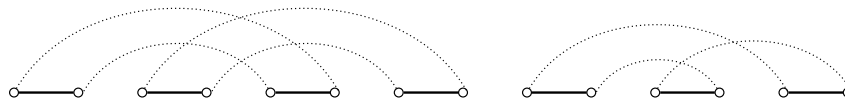
$$\pi = (0 \ +2 \ +3 \ -4 \ +5 \ +7 \ +6 \ +8 \ +1 \ +9 \ +11 \ +10 \ +12)$$

$$\pi = (0 \ +7 \ +1 \ -2 \ +3 \ +5 \ +4 \ +6 \ +8 \ +10 \ +9 \ +11)$$

$$\pi = (0 \ +1 \ -2 \ +3 \ +7 \ +5 \ +6 \ +4 \ +8 \ +10 \ +13 \ +11 \ +12 \ +9 \ +13)$$

- (a) Find the components in the permutation, and the type of each component.
- (b) Compare the components that you found with the breakpoint graph components. *Tip: use the available software*
- (c) Draw the component tree T_P .
- (d) What is the reversal distance?

Exercise 2 Consider the following breakpoint graph.



- (a) What is the reversal distance for this breakpoint graph?
- (b) Find a permutation π that has this breakpoint graph.

Exercise 3 After a *cycle merge* reversal, that is, a reversal defined by black edges in two different cycles, the two cycles are merged into one. Prove that this new cycle is always oriented. *Tip: What happens when we apply the same reversal again?*