Algorithms in Comparative Genomics

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Exercise sheet 13, 05.07.2024

Exercise 1 (From \mathcal{P} to PQ)

(12 pts)

Consider the set of permutations $\mathcal{P} = \{(2, 3, 4, 1, 9, 8, 6, 5, 7), id_9\}$ and a corresponding generator (R', L') with R' = [9, 4, 4, 4, 9, 6, 7, 9, 9] and L' = [1, 2, 2, 1, 5, 5, 5, 5, 1].

- 1. List all common intervals following the optimal time algorithm.
- 2. Determine Support for both R' and L' following the linear time algorithm.
- 3. Determine the canonical generator (R, L) from (R', L') following the linear time algorithm.
- 4. Decide which of the common intervals are strong intervals. (There exists an efficient algorithm for this. But since this was not covered in the lecture, do it "by eye".)
- 5. Construct the inclusion tree of the set of strong common intervals as a skeleton of a PQ-tree for \mathcal{P} . (Again, there exists an efficient algorithm for this. But since this was not covered in the lecture, do it "by eye".)
- 6. Decide for each node in the tree, whether it becomes a P- or a Q-node.